## Unit 1: Transformations in the Coordinate Plane

## Transformations

Choose the word from the list below that best matches each phrase.

```
composition of transformations
rigid motion
transformation(s)
preimage translation
```

1. The figure that results from a transformation
2. The original figure in a transformation
3. Flipping, sliding, or turning a figure
4. Two or more transformations in combination Composition of transformations

## Transformations

## Choose the word from the list below that best matches each phrase.

```
composition of transformations
rigid motion
transformation(s)
```

5. This transformation is an example of a translation because the figure slides in one direction, but does not flip, turn,
 or change size.
6. This translation is an example of $a(n)$ Rigid motion because it preserves distance and angle measures.
corresponding parts image preimage

## Transformations

## angle of rotation congruent reflection <br> center of rotation glide reflection rotation <br> congruence transformation line of reflection translation


8. In the coordinate plane above, all the triangles are $\qquad$ congruent Congruence
9. To show that any two figures above are congruent, you can identify a
transformation $\qquad$ that maps one figure to another.
10. A transformation that maps $\triangle A B C$ to $\triangle D E F$ is a $\qquad$ that slides $\triangle A B C$ four units to the right and two units down.

## Transformations

angle of rotation congruent reflection
center of rotation glide reflection rotation
congruence transformation line of reflection translation

11. A transformation that maps $\triangle D E F$ to $\triangle G H I$ is a $\qquad$ rotation with Angle of rotation of $180^{\circ}$ and Center of rotation at the origin.
12. A transformation that maps $\Delta G H I$ to $\Delta J K L$ is a $\qquad$ with Line of reflection of $x=4$.
13. A transformation that maps $\triangle A B C$ to $\Delta J K L$ is a Glide reflection by sliding $\triangle A B C$ twelve units to the right and two units down and then reflecting across the $x$-axis.

## Iransformations

## angle of rotation counterclockwise

$\mathrm{rima}^{\circ}-\mathrm{O}_{1}$

## clockuvise

 rotation$\mathrm{rama}^{\circ}-\mathrm{O}_{1}$
14. Point $X$
20.

## 14. Center of rotation <br> 15. Rigid motion

16. rotation
17. Angle of rotation
18. $r_{(270,0)}$
19. clockwise
20. counter-clockwise
21. $r_{(90,0)}$
22. $r_{(180,0)}$

## Unit 1: Transformations in the Coordinate Plane

1.1 Transformations

### 1.1 Transformations

## A transformation

 is a change in the $\qquad$ position shape , or $\qquad$ of a figure.The original figure is called the $\qquad$ The resulting figure is called the image . A transformation $\qquad$ the preimage to the image.

Arrow notation $(\rightarrow)$ is sometimes used to describe a transformation, and primes (') are used to label the image.

A dilation is a transformation that changed the size of a figure.
If we increase the size of a figure it is called an enlargement.
If we decrease the size of a figure it is called a $\qquad$ reduction .

## Daily Agenda

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What are we learning today?
MGSE9 - 12.G.CO. 4 - Experiment with transformations in the plane

## What am I going to do?

Transformations in the Coordinate Plane

## How will I show you I learned it?

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## What's for homework?

### 1.1 Iransformations

| Transformations |  |  |  |
| :---: | :---: | :---: | :---: |
| Isometry |  |  |  |
| Translation | Reflection | Rotation | Dilation |
|  |  |  |  |
| slide |  |  |  |

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### 1.1 Iransformations

## Example 1

Identify the transformation, then use arrow notation to describe the transformation.
a)


$$
\Delta A B C \rightarrow \Delta A^{\prime} B^{\prime} C^{\prime}
$$

rotation
b)

$M N O P \rightarrow M^{\prime} N^{\prime} O^{\prime} P^{\prime}$
translation
$\square$ Check for Understanding
Identify the transformation, then use arrow notation to describe the transformation.
c)

$D E F G \rightarrow D^{\prime} E^{\prime} F^{\prime} G^{\prime}$
reflection
d)

rotation

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### 1.1 Iransformations

## Example 2

A figure has vertices at $A(1,-1), B(2,3)$ and $C(4,-2)$. After a transformation, the image of the figure has vertices at $A^{\prime}(-1,-1), B^{\prime}(-2,3)$ and $C^{\prime}(-4,-2)$. Draw the preimage and the image, then identify the transformation.

|  |  |  |  |  | ${ }^{6}$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  | B |  |  |  | B |  |  |  |
|  |  |  |  |  |  |  |  | : |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  | , |  |  | $\vdots$ |  |  |  |  |
| 6 | 5 |  |  | 2 | 1 |  |  | 2 | \% | 4 | 5 |
|  |  |  |  |  | - -1 |  |  | $\cdots$ | $\cdots$ |  |  |
|  | - |  |  |  |  |  |  |  | - |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |

Reflection across the $y$-axis

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[^0]
### 1.1 Iransformations

## $\square$ Check for Understanding

A figure has vertices at $E(2,0), F(2,-1), G(5,-1)$ and $H(5,0)$. After a transformation, the image of the figure has vertices at $E^{\prime}(0,2), F^{\prime}(1,2), G^{\prime}(1,5)$ and $H^{\prime}(0,5)$. Draw the preimage and the image, then identify the transformation.

$90^{\circ}$ rotation counter-clockwise

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[^1]
## Unit 1: Transformations in the Coordinate Plane

## 1. 1 Transiormations

- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure


## Direct



Worktime

- INDEPENDENT PRACTICE
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## Unit 1: Transformations in the Coordinate Plane

### 1.2 Iranslations

 the plane.In a $\qquad$ horizontal $\qquad$ translation, the $x$-coordinate changes but the $y$-coordinate stays the same.

This translation can by represented by the function $T(x, y)=$ $(x+a, y)$


In a $\qquad$ translation, the $y$-coordinate changes but the $x$-coordinate stays the same.

This translation can by represented by the function $T(x, y)=\underline{(x, y+b)}$

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### 1.2 Iranslations

In a $\qquad$ slant translation, both the x - and y -coordinate change.

This translation can by represented by the function $T(x, y)=\underline{(x+\boldsymbol{a}, \boldsymbol{y}+\boldsymbol{b})}$


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```


### 1.2 Iranslations

## $\square$ Check for Understanding

Find the coordinates for the image of $\triangle A B C$ after the translation $(x, y) \rightarrow(x-2, y+4)$. Draw the image.


$$
\begin{aligned}
& J^{\prime}(-1,5) \quad K^{\prime}(1,5) \\
& M^{\prime}(-1,0) \quad L^{\prime}(1,0)
\end{aligned}
$$

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```


### 1.2 Iranslations

## Example 2

A four-sided figure has the following coordinates $A(1,-5), B(2,-6), C(3,-7), D(4,-8)$.
After a translation, its coordinates are $A^{\prime}(6,-7), B^{\prime}(7,-8), C^{\prime}(8,-9), D^{\prime}(9,-10)$. Write the rule for the translation.

$$
T(x, y)=(x+5, y-2)
$$

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## What am I going to do?

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## What's for homework?

### 1.2 Iranslations

$\square$ Check for Understanding
Use the graph below to answer questions 1-3. $\Delta R S T$ has been translated to $\Delta R^{\prime} S^{\prime} T^{\prime}$.


1. Write the coordinates for the vertices of the pre-image and image.

| Pre-image | Image |
| :--- | :--- |
| $R:(\mathbf{1 4}, \mathbf{4})$ | $R^{\prime}:(\mathbf{1 0}, \mathbf{2})$ |
| $S:(\mathbf{1 0}, \mathbf{7})$ | $S^{\prime}:(\mathbf{- 6 , 1})$ |
| $T:(\mathbf{5}, \mathbf{4})$ | $T^{\prime}:(\mathbf{- 1}, \mathbf{- 2})$ |

2. Show by using jumps in the graph above how you would move on the coordinate plane to get from the vertices in the pre-image to the corresponding vertices in the image.

## 4 units to the right and 6 units down

3. Write the coordinate rule that describes this translation.

$$
T(x, y)=(x+4, y-6)
$$

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## What's for homework?

## Unit 1: Transformations in the Coordinate Plane

## 1. 2 Transtations

- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure


## Direct

Explanation


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Worktime

- How can I apply all that I have learned about Translations to demonstrate mastery of the standards?


## Unit 1: Transformations in the Coordinate Plane

1.3 Reflections

### 1.3 Reflections

A reflection is a transformation that flips a figure across a line called a
Line of reflection

When a point is reflected across the $y$-axis, the sign of its $\qquad$ x-coordinate changes.

The function for a reflection across the y -axis is $R_{y \text {-axis }}(x, y)=\underline{(-x, y)}$

When a point is reflected across the x -axis,
the sign of its $\qquad$ $\boldsymbol{y}$-coordinate changes.

The function for a reflection across the $y$-axis is $R_{x-a x i s}(x, y)=(\boldsymbol{x},-\boldsymbol{y})$



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## What am I going to do?

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### 1.3 Reflections

Another common line of reflection is the diagonal line $y=x$.
To reflect over this line, SWAP the $x$ - and $y$-coordinates.

The function for a reflection across line $y=x$ is
$R_{y=x}(x, y)=$ $\qquad$


To reflect over the line $y=-x$, swap and opposite sign the $x$ - and $y$-coordinates.

The function for a reflection across line $y=-x$ is

$$
R_{y=-x}(x, y)=\left(-y_{2}-x\right)
$$

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### 1.3 Reflections

## Example 1

Reflect the figure with the given vertices across the given line.

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$$
\begin{array}{lr}
R(-2,2) & \boldsymbol{R}^{\prime}(\mathbf{2},-\mathbf{2}) \\
S(5,0) & S^{\prime}(\mathbf{0}, \mathbf{5}) \\
T(3,-1) & T^{\prime \prime}(-\mathbf{1}, 3)
\end{array}
$$

| $S(3,4)$ | $\boldsymbol{S}^{\prime}(-\mathbf{3}, \mathbf{4})$ |
| :--- | :--- |
| $T(3,1)$ | $\boldsymbol{T}^{\prime}(-\mathbf{3}, \mathbf{1})$ |
| $U(-2,1)$ | $\boldsymbol{U}^{\prime}(\mathbf{2}, \mathbf{1})$ |
| $V(-2,4)$ | $\boldsymbol{V}^{\prime}(\mathbf{2}, \mathbf{4})$ |

Reflect over the $y=x$

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### 1.3 Reflections

## ■ Check for Understanding

Reflect the figure with the given vertices across the given line.

Reflect over the $x$-axis

| $A(1,2)$ | $\boldsymbol{A}^{\prime}(\mathbf{1},-\mathbf{2})$ |
| :--- | :--- |
| $B(3,6)$ | $\boldsymbol{B}^{\prime \prime}(3,-6)$ |
| $C(5,4)$ | $\boldsymbol{C}^{\prime}(5,-4)$ |

Reflect over the $y$-axis

$$
\begin{array}{ll}
A(-6,-1) & \boldsymbol{A}^{\prime}(\mathbf{6}, \mathbf{1}) \\
B(-2,-1) & \boldsymbol{B}^{\prime}(\mathbf{2}, \mathbf{1}) \\
C(-2,-4) & \boldsymbol{C}^{\prime}(\mathbf{2}, \mathbf{4})
\end{array}
$$

Reflect over the $y=x$

| $J(-4,3)$ | $\boldsymbol{J}^{\prime}(\mathbf{3},-\mathbf{4})$ |
| :--- | :--- |
| $K(0,4)$ | $\boldsymbol{K}^{\prime}(\mathbf{4}, \mathbf{0})$ |
| $L(2,2)$ | $\boldsymbol{L}^{\prime}(\mathbf{2}, \mathbf{2})$ |
| $M(-1,1)$ | $\boldsymbol{M}^{\prime}(\mathbf{1},-\mathbf{1})$ |



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### 1.3 Reflections

## Example 2

Reflect the figure with the given vertices across the given line.

Reflect over the $y=-1$
$\begin{array}{llll}A(-1,1) & \boldsymbol{A}^{\prime}(-\mathbf{1},-\mathbf{3}) & P(4,2) & \boldsymbol{P}^{\prime}(\mathbf{0}, \mathbf{2}) \\ B(-5,1) & \boldsymbol{B}^{\prime}(-\mathbf{5},-\mathbf{3}) & Q(3,0) & \boldsymbol{Q}^{\prime}(\mathbf{1}, \mathbf{0}) \\ C(-4,2) & \boldsymbol{C}^{\prime}(-4,-4) & R(5,-5) & \boldsymbol{R}^{\prime}(-\mathbf{1},-5)\end{array}$
$D(-2,2) \quad \boldsymbol{D}^{\prime}(-2,-4)$
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Reflect over the $y=-x$

$$
\begin{array}{ll}
D(1,1) & \boldsymbol{D}^{\prime}(-\mathbf{1},-\mathbf{1}) \\
E(3,2) & \boldsymbol{E}^{\prime}(-\mathbf{2},-3) \\
F(2,4) & \boldsymbol{F}^{\prime}(-\mathbf{4},-\mathbf{2})
\end{array}
$$

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## What am I going to do?

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### 1.3 Reflections

## ■ Check for Understanding

## Doily Agenda

Reflect the figure with the given vertices across the given line.

Reflect over the $y=3$

| $G(-6,-1)$ | $K(-2,-1)$ | $S(-2,-4)$ | $S^{\prime}(\mathbf{1 0},-\mathbf{4})$ |
| :--- | :--- | :--- | :--- |
| $H(-6,1)$ | $L(-3,-3)$ | $T(-1,1)$ | $\boldsymbol{T}^{\prime}(\mathbf{9}, \mathbf{1})$ |
| $J(-2,1)$ | $\boldsymbol{G}^{\prime}(-\mathbf{6}, \mathbf{7}) \boldsymbol{H}^{\prime}(-\mathbf{6}, \mathbf{5})$ | $U(2,1)$ | $\boldsymbol{U}^{\prime}(\mathbf{6}, \mathbf{1})$ |

$J^{\prime}(-2,7) \quad K^{\prime}(-2,5) L^{\prime}(-3,9)$



Reflect over the $y=-x$
$A(-4,-2)$
$B(-2,0)$
C $(-5,1)$


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## Unit 1: Transformations in the Coordinate Plane

### 1.3 Reflections

- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure

Direct
Explanation


Worktime

- INDEPENDENT PRACTICE
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- Booklet Pages
- How can I apply all that I have learned about Reflections to demonstrate mastery of the standards?


## Unit 1: Transformations in the Coordinate Plane

1.4 Rotations

### 1.4 Rotations

A rotation is a transformation that turns a figure around a point, called the $\qquad$ of rotation .

## counter-clockwise

 clockwise is considered the positive direction, so is considered the negative direction.

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What are we learning today?

## What am I going to do?

Transformations in the Coordinate Plane

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### 1.4 Rotations

A $90^{\circ}$ rotation is equivalent to a $270^{\circ} \mathrm{CW}$ rotation and has the function:

$$
R_{90^{\circ}}(x, y)=(-y, x)
$$

A $180^{\circ}$ rotation is equivalent to a $180^{\circ} \mathrm{CW}$ rotation and has the function:

$$
R_{180^{\circ}}(x, y)=(-x,-y)
$$

A $270^{\circ}$ rotation is equivalent to a $\qquad$ rotation and has the function:

$$
R_{270^{\circ}}(x, y)=(y,-x)
$$

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### 1.4 Rotations



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### 1.4 Rotations

## $\square$ Check for Understanding

Triangle ABC is graphed on the coordinate plane. Draw the image of this triangle after counterclockwise rotations of $90^{\circ}, 180^{\circ}$, and $270^{\circ}$ about the origin.




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[^2]
## Unit 1: Transformations in the Coordinate Plane

## 1. 4 Rofafions

- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure


## Direct

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- How can I apply all that I have learned about Rotations to demonstrate mastery of the standards?


## Unit 1: Transformations in the Coordinate Plane

1.5 Symmetry

### 1.5 Symmetry

A Regular polygon_is a polygon with all sides equal in length
and all angles equal in measure.
If a regular polygon has $n$ sides, then it also has $n$ Line of Symmetry. When you reflect a figure over line of symmetry, the image is ___congruent to and in the same location as the original Pre-image.

When this happens, we say that the reflection maps the figure onto itself. This type of symmetry is called ___ Line_ symmetry or Reflectional symmetry . A figure that has_Rotational_symmetry_ will map onto itself more than once during a $360^{\circ}$ turn. To find the rotational symmetry, divide $360^{\circ}$ by the number of sides.

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### 1.5 Symmetry

## Example 1

Tell whether each figure has line symmetry.
a)


8

## $\square$ Check for Understanding

Tell whether the figure has line symmetry.


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## What's for homework?

### 1.5 Symmetry

## Example 2

Determine whether each figure has rotational symmetry. If so, describe the rotation that maps the figure onto itself.
a)


$$
\begin{gathered}
\left.360^{\circ} \div 4=90^{\circ}\right) \\
90^{\circ}, 180^{\circ}, 270^{\circ}
\end{gathered}
$$

$360^{\circ} \div 6=60^{\circ}$
$60^{\circ}, 120^{\circ}, 180^{\circ}$. $240^{\circ}, 300^{\circ}$

## ■ Check for Understanding

Determine whether the figure has rotational symmetry. If so, describe the rotation that maps the figure onto itself.


$$
\begin{gathered}
360^{\circ} \div 8=45^{\circ} \\
45^{\circ}, 90^{\circ}, 135^{\circ} \\
180^{\circ}, 225^{\circ}, 270^{\circ}
\end{gathered}
$$

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Transformations in the Coordinate Plane

## How will I show you I learned it?

Daily Exit Tickets

## What's for homework?

### 1.5 Symmetry

## Example 3

List all the transformations that map the following graphs onto itself.
a)

4 Lines of Symmetry

$$
x=1, y=1
$$

Rotational @ $(1,1)$ $90^{\circ}, 180^{\circ}, 270^{\circ}$

## Dajly Agenda

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## What am I going to do?

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## What's for homework?

## Unit 1: Transformations in the Coordinate Plane

1.5 Symmetry

- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure


## Direct

Explanation

## Unit 1: Transformations in the Coordinate Plane

1.6 Sequence of Transformations

### 1.6 Sequence of Iransformations

Sometimes, more than one transformation is needed to produce a particular image from a given pre-image.

To determine the necessary sequence of transformations, compare the $\qquad$ image to the Pre-image. If the orientation of the figure has changed, then a rotation $\qquad$ or $\qquad$ has probably taken place.

A $\square$ Composition of transformation is one transformation followed by another. $A$ $\qquad$ glide reflection is the composition of a translation and a reflection across a line parallel to the vector of translation.

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## What am I going to do?

Transformations in the Coordinate Plane

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## What's for homework?

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### 1.6 Sequence of Iransformations

## Example 1

Draw the result of each composition of transformations.
Reflect the triangle over the line $y=1$, then translate 3 units down.


- Check for Understanding

Draw the result of each composition of transformations.
Reflect the triangle over the $x$-axis, then translate 3 units to the left.


## Daily Agenda

## Today's Date

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What are we learning today? MGSE9 - 12.G.CO. 3 - Experiment with transformations in the plane

## What am I going to do?

Transformations in the Coordinate Plane

## How will I show you I learned it?

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## What's for homework?

### 1.6 Sequences of Transformations

## Example 2

Identify a sequence of transformations that will map each pre-image onto its final image. Use correct transformation notation.


Check for Understanding
Identify a sequence of transformations that will map each pre-image onto its final image. Use correct transformation notation.


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## Today's Date

January 18, 2017

What are we learning today? MGSE9 - 12.G.CO. 3 - Experiment
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## What am I going to do?

Transformations in the Coordinate Plane

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## What's for homework?

## Unit 1: Transformations in the Coordinate Plane

 1.6 Sequence of Iransformations- Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure


## Direct

Explanation


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